Please check the examination details be	low before entering your candidate information
Candidate surname	Other names
Centre Number Candidate N Pearson Edexcel Leve	
	Paper reference 9MA0/32
Mathematics	•
Advanced	
PAPER 32: Mechanics	
You must have: Mathematical Formulae and Statistic	al Tables (Green), calculator

Candidates may use any calculator allowed by Pearson regulations.

Calculators must not have the facility for symbolic algebra manipulation, differentiation and integration, or have retrievable mathematical formulae stored in them.

Instructions

- Use black ink or ball-point pen.
- If pencil is used for diagrams/sketches/graphs it must be dark (HB or B).
- Fill in the boxes at the top of this page with your name, centre number and candidate number.
- Answer all questions and ensure that your answers to parts of questions are clearly labelled.
- Answer the questions in the spaces provided
 there may be more space than you need.
- You should show sufficient working to make your methods clear. Answers without working may not gain full credit.
- Unless otherwise indicated, whenever a value of g is required, take $g = 9.8 \,\mathrm{m \, s^{-2}}$ and give your answer to either 2 significant figures or 3 significant figures.

Information

- A booklet 'Mathematical Formulae and Statistical Tables' is provided.
- The total mark for this part of the examination is 50. There are 5 questions.
- The marks for each question are shown in brackets
 use this as a guide as to how much time to spend on each question.

Advice

- Read each question carefully before you start to answer it.
- Try to answer every question.
- Check your answers if you have time at the end.

Turn over >



P72131A

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Q:1/1/1/1/



1. [In this question, position vectors are given relative to a fixed origin.]

At time t seconds, where t > 0, a particle P has velocity $\mathbf{v} \, \mathbf{m} \, \mathbf{s}^{-1}$ where

$$\mathbf{v} = 3t^2\mathbf{i} - 6t^{\frac{1}{2}}\mathbf{j}$$

(a) Find the speed of P at time t = 2 seconds.

(2)

(b) Find an expression, in terms of t, \mathbf{i} and \mathbf{j} , for the acceleration of P at time t seconds, where t > 0

(2)

At time t = 4 seconds, the position vector of P is (i - 4j) m.

(c) Find the position vector of P at time t = 1 second.

(4)

(a)
$$V(2) = 3(2)^{1}i - 6(2)^{\frac{1}{2}}j$$

(c)
$$r = \int 3t^2i - 6t^{\frac{1}{2}}j dt$$

$$f(1) = 1^{3}i - 4(1)^{\frac{3}{2}}j + (-63i + 28j)$$

= -62i +24j m

A small block B of mass $5 \, \text{kg}$ is held in equilibrium on the plane by a horizontal force of magnitude X newtons, as shown in Figure 1.

The force acts in a vertical plane which contains a line of greatest slope of the inclined plane.

The block B is modelled as a particle.

The magnitude of the normal reaction of the plane on B is 68.6 N.

Using the model,

(a) (i) find the magnitude of the frictional force acting on B,

(3)

(ii) state the direction of the frictional force acting on B.

(1)

The horizontal force of magnitude X newtons is now removed and B moves down the plane.

Given that the coefficient of friction between B and the plane is 0.5

(b) find the acceleration of B down the plane.

(6)

ca) (i) Resolving vertically

(7) Fsind+ 68.6 cosd = 59



(1) 68.6 - X sin x + Sycos x

sin d = 3

60.6 = x(3)+5x9.8x 4

1624 = 4

3 x = 29.4 -> x = 49

D FX 603d = 59 sind F = 593 - 49x = -5



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Question 2 continued

(a)(ii) Down the plane

(b) Equation a motion down the piane

Mile 15 by 18.00 to 18.

5q Sind-F=5a > F=5qsind-Sa

Resolving perpendicular fothe plane:

R = 59 cosd

F-0.5R

59 sind - 501 = 0.5 (59 (6)d)

sqsind-0.5 (sq (052) - a

a = 49 = 1.96 m 15-2



A particle P of mass 4 kg is at rest at the point A on a smooth horizontal plane.

At time t = 0, two forces, $\mathbf{F}_1 = (4\mathbf{i} - \mathbf{j})\mathbf{N}$ and $\mathbf{F}_2 = (\lambda \mathbf{i} + \mu \mathbf{j})\mathbf{N}$, where λ and μ are constants, are applied to P

Given that P moves in the direction of the vector $(3\mathbf{i} + \mathbf{j})$

(a) show that

$$\lambda - 3\mu + 7 = 0 \tag{4}$$

At time t = 4 seconds, P passes through the point B.

Given that $\lambda = 2$

(b) find the length of AB.

(a) (41-j) + (1+1/1) = (4+1) + (-1+1/1)

equating: (4+1)=3y equating: -1+1 = 1y

The combination of Fr and Fr could be any nurtiply of the direction vector (3;+;)

(4+1)=3 (-1+m) -> 4+d=-3+3m

1-34+7=0

(b) 1=2 → 2-3 M+7=0 → M=3

r= u+ + \frac{1}{2} u= 0 a= 6 i+ 2)

() (= 2 × 61+2) × 4 = 12; +4)

length AB = 101 = V122+42 = 4 TTO n = 12.6m

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4.

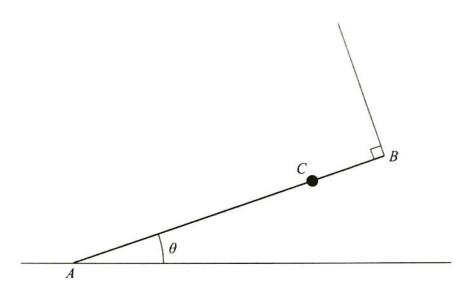


Figure 2

A uniform rod AB has mass M and length 2a

A particle of mass 2M is attached to the rod at the point C, where AC = 1.5a

The rod rests with its end A on rough horizontal ground.

The rod is held in equilibrium at an angle θ to the ground by a light string that is attached to the end B of the rod.

The string is perpendicular to the rod, as shown in Figure 2.

(a) Explain why the frictional force acting on the rod at A acts horizontally to the right on the diagram.

(1)

The tension in the string is T

(b) Show that $T = 2Mg\cos\theta$

(3)

Given that $\cos \theta = \frac{3}{5}$

(c) show that the magnitude of the vertical force exerted by the ground on the rod at A is $\frac{57Mg}{25}$

(3)

The coefficient of friction between the rod and the ground is μ

Given that the rod is in limiting equilibrium,

(d) show that $\mu = \frac{8}{19}$

(4)

Question 4 continued

(a) The horizontal force component of T acts to the left and side the only other horizontal force is friction, it must all to the light.

(b) Formersime

taking moments about A:

2a T = Mga (650 + 2 Mg x 1.5a (650

2a T= Mga (6>0 + 3Mga (6>0

2at = 4 Mga (000

T = 2 Mg cose

(c) Rexcluing vertically

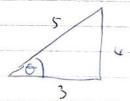
(7) R+ T (050 = Mg + 2Mg

R = 3Mg - 2Mgcoxo

R = 3Mg - 2Mg × 25 = 57 Mg

ed) Resolving horizontally

14 (57 Mg) = 2 Mg cose sino





5.

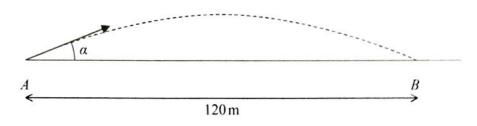


Figure 3

A golf ball is at rest at the point A on horizontal ground.

The ball is hit and initially moves at an angle α to the ground.

The ball first hits the ground at the point B, where $AB = 120 \,\mathrm{m}$, as shown in Figure 3.

The motion of the ball is modelled as that of a particle, moving freely under gravity, whose initial speed is $U \, \text{m s}^{-1}$

Using this model,

(a) show that
$$U^2 \sin \alpha \cos \alpha = 588$$

The ball reaches a maximum height of 10 m above the ground.

(b) Show that
$$U^2 = 1960$$

In a refinement to the model, the effect of air resistance is included.

The motion of the ball, from A to B, is now modelled as that of a particle whose initial speed is $V \, \mathrm{m \, s}^{-1}$

This refined model is used to calculate a value for V

(c) State which is greater,
$$U$$
 or V , giving a reason for your answer. (1)

(d) State one further refinement to the model that would make the model more realistic.

(1)
$$\Theta$$
 Using $xt = 120$ $\Rightarrow t = \frac{120}{00000}$ (1)

(1) Using $xt - \frac{1}{2}gt^2 = 0$

Question 5 continued

120 sind cosd U2 - 70566 =0

U'sind cost = 588

(b) using vertical motion.

02= (Usin d) 2-29 x10

196 = U'Sind -> 14 = Wind -> sind = 14

from (a) U2 14 (65 d = 588

140 (0) 4 = 588

Ucos 2=42 -> cos2 = 42

(Usind) + (U (OSd) = U2 (Sin2d + (OSd) = U2

42 = 1960

1=1960

(c) V, since air resistance has to be overcome

(d) Account for wind effect