wjec cbac

GCSE MARKING SCHEME

SUMMER 2022

GCSE MATHEMATICS – NUMERACY UNIT 2 – INTERMEDIATE TIER 3310U40-1

INTRODUCTION

This marking scheme was used by WJEC for the 2022 examination. It was finalised after detailed discussion at examiners' conferences by all the examiners involved in the assessment. The conference was held shortly after the paper was taken so that reference could be made to the full range of candidates' responses, with photocopied scripts forming the basis of discussion. The aim of the conference was to ensure that the marking scheme was interpreted and applied in the same way by all examiners.

It is hoped that this information will be of assistance to centres but it is recognised at the same time that, without the benefit of participation in the examiners' conference, teachers may have different views on certain matters of detail or interpretation.

WJEC regrets that it cannot enter into any discussion or correspondence about this marking scheme.

WJEC GCSE MATHEMATICS - NUMERACY

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Unit 2: Intermediate Tier	Mark	Comments
1(a) 1 (km)	B1	
1(b) 7½ hours	B1	
1(c) 5 (km)	B1	
1(d) 6 (km)	B2	 B1 for any of the following: 7-5+7-3 Appropriate sight of 2 and 4 (in working or on the graph)
2(a) (Breakfast recommendation is) 0.35 × 2400 or 240 + 240 + 240 + ½ of 240 or 2400 - 0.65 × 2400 or equivalent	M1	(= 840) May be seen in stages 35% of 2400 without further working is awarded M0 Sight of 240 + 240 + 240 + 24 is awarded M0
(Difference in calories) 860 - 0.35 × 2400	M1	Allow 0.35 × 2400 – 860 for M1 FT 860 – 'their derived 840' irrespective of how 'their 840' was derived
20 (calories)	A1	CAO. Answer of -20 (calories) is A0 Allow incorrect units seen, e.g. 20%
2(a) <u>Alternative method</u> (Difference in calories) (860 ÷ 2400 – 0.35) × 2400 20 (calories)	M2 A1	M1 for 860 ÷ 2400 – 0.35 CAO. Allow incorrect units seen, e.g. 20%
Organisation and communication	OC1	 For OC1, candidates will be expected to: present their response in a structured way explain to the reader what they are doing at each step of their response lay out their explanations and working in a way that is clear and logical write a conclusion that draws together their results and explains what their answer means
Writing	W1	 For W1, candidates will be expected to: show all their working make few, if any, errors in spelling, punctuation and grammar use correct mathematical form in their working use appropriate terminology, units, etc.
2(b)(i) 23:5	B1	Must be whole numbers, mark final answer Allow 23g : 5g
2(b)(ii) 30 × 69 ÷ 100 or 69 ÷ (100 ÷ 30) or 69 × 3 ÷ 10 or equivalent 20.7 (g)	M1 A1	 May be shown in stages Allow 21(g) provided not from incorrect working Answers in the range 20.68(g) to 21(g) from premature approximation of 100/30 or 100/69

3.				If an answer space blank, check working below the table to mark any unambiguous intention
Number of units	520		B1	Answer shown in the space in the row with the meter readings takes precedence If the space in the row with meter reading is blank, allow if 520 seen in the charge for electricity row
Charge for units	520 × (0.)21		M1	FT 'their 520', the number of units used must be given or clear from the units row Award for sight of digits 1092(0) or equivalent on FT
		(£) 109.2(0)	A1	Must be in pounds.
(Standing charge)	(3 months)	(£) 21(.00)	B1	
Total charges		(£) 130.2(0)	B1	FT 'their 109.2(0)' + 'their 21(.00)' correctly evaluated, provided neither amount = 0
VAT at 5%		(£) 6.51	B1	FT 5% of 'their 130.2(0)' correctly evaluated, allow rounding or truncation to a penny (2 d.p.)
Amount to pay		(£) 136.71	B1	CAO

4(a) (Circumference) π × 140	M1	Do not accept embedded within an incorrect calculation for the circumference
Answer in the range 439 (cm) to 440 (cm)	A1	May be implied in later working
π × 140 – 176 – 128 – 60 or π × 140 – 364 or equivalent	M1	FT 'their derived circumference' from a calculation involving π (including use of πr or πr^2), including from previous truncation or rounding errors
Answer in the range 75.6 (cm) to 76 (cm)	A1	CAO, answer must be in the range stated. If no final answer given, check if an answer has been inserted in the statement in the question
4(b) (Area =) $\frac{1}{2} \times (4.3 + 5.6) \times 2.5$ or 2.5 × 4.3 + $\frac{1}{2} \times 2.5 \times (5.6 - 4.3)$ or equivalent	M1	
12.375 (m²)	A1	Allow 12.37(m ²), 12.38(m ²) or 12.4 (m ²) provided not from incorrect working (e.g. $4.3 + 2.5 + 5.6 = 12.4$) May be implied in further working
(Number of bags) 12.375 ÷ 0.9 or 13.75	M1	FT 'their 12.375' including the use of 12.375 rounded or truncated Allow for a trial and improvement method provided the final trial gives 14 bags, e.g. for sight of $0.9 \times 14 = 12.6$
14 (bags)	A1	Must be rounded up to a whole number of bags Allow for an embedded answer of 14 (e.g. from within a multiplication)
(Cost of fertilizer is 14 × £1.15) (£) 16.1(0)	B1	FT provided a whole number of bags considered and at least 1 mark (M1) previously awarded

5(a) Every 15 minutes	B1	
5(b) 14(:)00 or 2 p.m.	B1	Allow an answer of 2 or 14(:)00p.m. Do not accept an answer of 2 a.m.
5(c) 11 (°C)	B1	
5(d)(i) 5 points plotted accurately: (12:00, 100), (13:00, 105), (14:00, 110), (15:00, 109), (16:00, 109)	B1	Plotting of 100 and 110 should be intention of being on the appropriate line Tolerance for plotting 105 and 109 is within the appropriate small square Ignore any joining of plotted points
5(d)(ii) Appropriate reason, e.g. 'the rise in temperature doesn't look very much', 'it is only temperatures from 100°C that are needed', 'not showing the warning light was on as often as it was', 'it doesn't show the fluctuating temperature', 'doesn't show the number of warnings given (when over 110°C)', 'more details are required to show the warnings',	E1	Ignore additional spurious or incorrect statements for accepted and allowed responses Allow, e.g. 'misleading' with a suitable reason given 'doesn't give the same detail (as the first graph)', 'doesn't give the details of temperature changes', 'it doesn't show all the temperature changes', 'doesn't give the same accuracy (as the first graph)', 'doesn't give the accurate temperature changes', 'only shows specific times', 'only recording once an hour', 'there is no data to fill the gaps', 'the temperatures between are not shown', It doesn't give all the information', 'not all the points plotted from the previous graph', 'small scale', 'the temperature goes up in 2's rather than 0.5', 'lost loads of the data', 'there are not many points', 'it doesn't change much to show when something went wrong', 'there are no temperatures recorded below 100°C' Do not accept, e.g. 'misleading', 'not accurate', 'it doesn't give the accurate temperatures', 'the temperatures aren't the same as the first graph', 'most points are not over 110°C', 'the temperature goes higher on the axis than the other graph'
6(a)(i) 100 ≤ <i>x</i> < 150	B1	
6(a)(ii) Midpoints 40, 70, 90, 125, 175	B1	Check the table
40×4 + 70×8 + 90×11 + 125×12 + 175×17 (= 160 + 560 + 990 + 1500 + 2975 = 6185)	M1	FT 'their midpoints' provided at least 4 lie within the appropriate group, including bounds throughout
÷ 52	m1	
118.9(4miles) or 119 (miles)	A1	

0(1)	1	
6(b) (Number of miles next month is) 440 \times 1.12	M1	Or equivalent, e.g. 440 + 440 × 12 ÷ 100 (=440 + 52.80 = 492.80)
(Increased cost of fuel is) $1.3(0) \times 1.1(0)$	M1	(
(Number of miles next month is) 492.8 (miles) AND	A1	Penalise, A0, if prematurely approximated in further working, but FT for possible final A1
(Increased cost per litre of fuel is) (£) 1.43		Penalise any premature approximation in the 1 st A0
(Cost of fuel next month is) $440 \times 1.12 \times 1.3(0) \times 1.1(0)$ or 492.8×1.43 11 11	m1	FT provided M1, M1 previously awarded
(£) 64.06(4)	A1	ISW. Allow an answer of $(\pounds)64.1(0)$ or $(\pounds)65$ Allow correctly evaluated answers from correct working which may include premature rounding or truncation, e.g. $(\pounds)64$ to $(\pounds)64.10$, $(\pounds)64.35$
$\begin{array}{l} 6(b) \ \underline{Alternative \ method \ 1} \\ (Cost \ of \ fuel \ last \ month) \ 1.3(0) \times 440 \ \div \ 11 \\ or \ 1.3(0) \times 40 \end{array}$	M1	
(£) 52	A1	May be implied in further working Penalise, A0, if prematurely approximated in further working, but FT for possible final A1
(Cost of fuel next month) 52 × 1.1(0) × 1.12	m2	FT 'their $1.3(0) \times 440 \div 11'$ m1 for one of the following: • $52 \times 1.1(0)$ (= 57.20)
(£) 64.06(4)	A1	• 52×1.12 (= 58.24) ISW. Allow an answer of (£)64.1(0) or (£)65 FT only m2, no FT from m1. Allow correctly evaluated answers from correct working which may include premature rounding or truncation, e.g. (£)63.84, (£)64.02
6(b) <u>Alternative method 2</u> (Fuel next month) 1.12 × 440 ÷ 11	M1	
or 1.12 × 40 44.8 (litres)	A1	May be implied in further working Penalise, A0, if prematurely approximated in further working, but FT for possible final A1
(Cost of fuel next month) 44.8 × 1.3(0) × 1.1(0)	m2	FT 'their 1.12 × 440 ÷ 11' m1 for one of the following: • 44.8 × 1.3(0) (= 58.24)
(£) 64.06(4)	A1	• $44.8 \times 1.1(0)$ (= 49.28) ISW. Allow an answer of (£)64.1(0) or (£)65 FT only m2, no FT from m1. Allow correctly evaluated answers from correct working which may include premature rounding or truncation, e.g. (£)63.84, (£)64.02
$\begin{array}{l} 6(b) \ \underline{Alternative \ method \ 3} \\ (Cost \ of \ fuel \ next \ month) \ \underline{440 \times 1.12} \times 1.3(0) \times 1.1(0) \\ 11 \end{array}$	M4	<i>Must be</i> shown as one complete calculation to be followed by a final answer
(£) 64.06(4)	A1	ISW. Allow an answer of (£)64.1(0) or (£)65

7(a) 219(°) (± 2°)	B1	
7(b) <u>114</u> or 114 ÷ (87/60) or 114 × <u>60</u> 1.45 or equivalent	M2	 M1 for one of the following: idea of distance/time, e.g. 114/1.27, 114/87, 114/5220, 114/1hr 27 minutes, including approximated as 114/1.5, may be implied by answers to these calculations (see note) provided not from incorrect working sight of 1.45 (hours)
78.6(2) (km/h)	A1	Accept 79 (km/h) provided not from incorrect working Do not FT from M1
7(c) (Conversion to Japanese yen) 800 × 135.72 108 576 (Japanese yen)	M1 A1	
(Can buy) 108 000 (Japanese yen)	B1	Allow for an equivalent amount given using the notes available, e.g. 21 5000 (yen) and 3 1000 (yen), or equivalent using only 5000 and 1000 yen notes FT 'their derived 108576' provided evidence of rounding down to nearest 1000
(Cost in pounds is) 108 000 ÷ 135.72 or (800 –) 576 ÷ 135.72	M1	FT 'their derived 108576' and 'their derived 108000' provided 'their 108000' in whole number of 1000s (including from rounding 108576 up)
(£) 795.76	A1	ISW. Allow (£)795.75 Allow on FT rounded or truncated to a penny $% \left({{{\bf{F}}_{\rm{T}}}} \right)$

7(d) (Number of 0-to-64-year olds) 0.75 × 270400 or 270400 – 0.25 × 270400	M1	
202800	A1	May be implied in further working
(Number of 0-to-14-year olds) 9 × 202800 ÷ (9+41) or 9 × 4056	M1	FT 'their derived 202800', not 270400
36504	A1	
7(d) <u>Alternative method 1</u>		
(Proportion) 9 × 270400 ÷ (9+41)	M1	
48672	A1	May be implied in further working
(Number of 0-to 14-year olds) 0.75 × 48672 or 48672 – 0.25 × 48672	M1	FT 'their derived 48672', not 270400
or 48672 – 12168 36504	A1	
7(d) <u>Alternative method 2</u>		
(Overall ratio) (9 : 41 :) <u>9 + 41</u> 3	M1	
(9 : 41 :) 16.66666	A1	Allow 16.6() or 16.7 May be implied in further working
(Number of 0-to 14-year olds) 9 × 270400 ÷ (9+41 + 1/3(9 + 41))	M1	<i>FT 'their 1</i> / ₃ (9 + 41)'
36504	A1	Do not FT from rounding or truncation of 50/3

8. (Let x be the initial angle of lean)(Let y be the final angle of lean)		
sin x = 30/110 sin y = 60/110	M1 M1	 Allow M marks for same variable is used for both angles of lean an appropriate statement of the sine rule, e.g. 30/sin x = 110/sin 90 or sin y/60 = sin 90/110
$(x =) \sin^{-1}(30/110)$ or $(x =) \sin^{-1} 0.2727$ OR $(y =) \sin^{-1}(60/110)$ or $(y =) \sin^{-1} 0.5454$	M1	Also implies appropriate previous M1
15.8266(°) AND 33.0557(°) (and statement or calculation to show 33.0557(°) > 2 × 15.8266(°))	A2	Accept rounded or truncated angles for A2 or A1 A1 for 15.8266(°) or 33.0557(°)
8. Alternative method 1		
(To find initial angle of lean) Sin x = 30/110	М1	Allow for an appropriate statement of the sine rule, $30/\sin x = 110/\sin 90$ or $\sin x/30 = \sin 90/110$
$(x =) \sin^{-1}(30/110)$ or $(x =) \sin^{-1} 0.2727$ $(x =) 15.8266(^{\circ})$	M1 A1	Also implies previous M1 Accept rounded or truncated angles
(To find horizontal lean if angle of lean was doubled) sin ((2 × 15.8266(°)) =horizontal lean/110 or (Horizontal lean =) 110 × Sin (2 × 15.8266(°))	М1	<i>FT rounded or truncated double 'their derived</i> 15.8266(°)'
57.725 (cm) (and statement that < 60 cm)	A1	FT answer must be < 60 (cm)
8. Alternative method 2		
(To find final angle of lean) Sin y = 60/110	М1	Allow for an appropriate statement of the sine rule, 60/sin y = 110/sin 90 or sin y/60 = sin 90/110
$(y =) \sin^{-1}(60/110)$ or $(y =) \sin^{-1}0.5454$ $(y =) 33.0557(^{\circ})$	M1 A1	Also implies previous M1 Accept rounded or truncated angles
(To find horizontal lean if angle of lean was halved) sin (1/2 × 33.0557(°)) = horizontal lean/110 or (Horizontal lean =) 110 × Sin(1/2 × 33.0557(°))	М1	FT rounded or truncated ½ 'their derived 33.0557(°)
31.29(cm) (and statement that > 30 cm)	A1	FT answer must be > 30 (cm)

9. $(80 \text{ litres} = 80 \ 000 \text{ cm}^3)$		
80 000 = $\pi \times 36^2 \times \text{height}$ or equivalent	M2	May be shown in stages, but place value must be correct for the award of M2 M1 for sight of any 1 of the following: • (80 litres =) 80 000 (cm ³) • $\pi \times 36^2$ (× height) • sight of $\pi \times 36^2$ (≈ 4069 to 4072) • sight of ($\pi \times 36^2 \approx$) 4069 to 4072 or 1296 π • 80 000 = $\pi \times 36^2 \times$ height with place value errors with digits 8 and/or 36 Allow for sight of $\pi \times 36^2$ or 80 000 (cm ³) even if embedded, contradicted in further working or not used
(Height =) $\frac{80\ 000}{\pi \times 36^2}$ or equivalent	m1	For a correct rearrangement, provided the denominator is a multiple of π Allow if the intended calculation includes a place value error with digits 8 and/or 36 Also possible FT from M1
Answers in the range 19.6 to 19.7 (cm)	A1	CAO, must be in centimetres Accept 20(cm) from correct working
10. (Income taxed at Basic rate) 2400 × 100 ÷ 20 or 2400 ÷ 0.2 or 2400 × 5 or equivalent	M1	May be seen in stages Allow for sight of, e.g. • 10% of 12000 • 12000 × 0.8 = 9600
12000 (dollars)	A1	 Allow an embedded answer e.g.12000 × 0.2 = 2400 Accept if found by trial and improvement or reverse working for M1 A1, e.g. 10% of 12000 = 1200 with an answer 12000 12000 × 0.8 = 9600 with an embedded answer 12000 - 9600 = 2400 Allow M1 A1 for a final answer of 12000, provided not from incorrect working.
(Khalida's income) 12000 + 5000	M1	FT their derived 12000' provided 2400 < 'their 12000' < 20000, i.e. 'their income taxed at Basic rate' + 5000
17000 (dollars)	A1	Mark final answer. The answer given in the answer space takes precedence.