Please check the examination details be	w before entering your candidate in	formation
Candidate surname	Other names	
Centre Number Candidate No Centre Number Candidate No Candidate No Pearson Edexcel Leve	mber 3 GCE	
Monday 18 October 2021 – Aftern	oon	
	Paper reference 9MA	0/32
Mathematics		
Advanced PAPER 32: Mechanics		
You must have: Mathematical Formulae and Statistica	l Tables (Green), calculator	Total Marks

Candidates may use any calculator allowed by Pearson regulations. Calculators must not have the facility for symbolic algebra manipulation, differentiation and integration, or have retrievable mathematical formulae stored in them.

Instructions

- Use black ink or ball-point pen.
- If pencil is used for diagrams/sketches/graphs it must be dark (HB or B).
- Fill in the boxes at the top of this page with your name, centre number and candidate number.
- Answer **all** questions and ensure that your answers to parts of questions are clearly labelled.
- Answer the questions in the spaces provided – there may be more space than you need.
- You should show sufficient working to make your methods clear. Answers without working may not gain full credit.
- Unless otherwise indicated, whenever a value of g is required, take g = 9.8 m s⁻² and give your answer to either 2 significant figures or 3 significant figures.

Information

- A booklet 'Mathematical Formulae and Statistical Tables' is provided.
- The total mark for this part of the examination is 50. There are 5 questions.
- The marks for each question are shown in brackets
 use this as a guide as to how much time to spend on each question.

Advice

- Read each question carefully before you start to answer it.
- Try to answer every question.
- Check your answers if you have time at the end.





Turn over 🕨



1. A particle P moves with constant acceleration (2i - 3j) m s⁻² At time t = 0, P is moving with velocity $4i \text{ m s}^{-1}$ DO NOT WRITE IN THIS AREA (a) Find the velocity of P at time t = 2 seconds. (2)At time t = 0, the position vector of P relative to a fixed origin O is (i + j)m. (b) Find the position vector of P relative to O at time t = 3 seconds. (2)) As acceleration is constant: V = u + at, u = 4i, t = 2 $V = 4i + (2i - 3j) \cdot 2$ DO NOT WRITE IN THIS AREA V= 81 - 61 E=3 [3×4i+ = + = × (2i=3j) (i + j)Pos.s. ton: + $= (1 + 12 + 9) \frac{2}{1} + (1 + \frac{1}{2} \times 3^{3})$ 22i - 12.5j 2



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A small stone A of mass 3m is attached to one end of a string. A small stone B of mass m is attached to the other end of the string.

Initially A is held at rest on a fixed rough plane.

The plane is inclined to the horizontal at an angle α , where $\tan \alpha = \frac{3}{4}$

The string passes over a pulley P that is fixed at the top of the plane.

The part of the string from A to P is parallel to a line of greatest slope of the plane.

Stone B hangs freely below P, as shown in Figure 1.

The coefficient of friction between A and the plane is $\frac{1}{6}$

Stone A is released from rest and begins to move down the plane.

The stones are modelled as particles.

The pulley is modelled as being small and smooth.

The string is modelled as being light and inextensible.

Using the model for the motion of the system before B reaches the pulley,

(a) write down an equation of motion for A

- (b) show that the acceleration of A is $\frac{1}{10}g$
 - (c) sketch a velocity-time graph for the motion of B, from the instant when A is released from rest to the instant just before B reaches the pulley, explaining your answer.

In reality, the string is not light.

(d) State how this would affect the working in part (b).

(1)

(2)

(7)

(2)

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2.

Question 2 continued 46 Total Force 7=3ma Equation of motion for A: 3mgsinx-T-F=3ma. 3mgcosk As M=16, F= = = = = mgcosx. Equation for the whole system: 3mgsinx-F-mg=3matha =>mg(3sinx-2cosx-1)=4ma Sinx=3/5 & COSX:4/5 => q(3,3/5-1/2×4/5-1)=4a 29-49 a= 109 [] => 5

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Question 2 continued V С DO NOT WRITE IN THIS AREA >t The acceleration is constant and so line bas a constant gradient. the The tension on A would be different to the tension on B. DO NOT WRITE IN THIS AREA DO NOT WRITE IN THIS AREA 6

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A beam AB has mass m and length 2a.

The beam rests in equilibrium with A on rough horizontal ground and with B against a smooth vertical wall.

The beam is inclined to the horizontal at an angle θ , as shown in Figure 2.

The coefficient of friction between the beam and the ground is μ

The beam is modelled as a uniform rod resting in a vertical plane that is perpendicular to the wall.

Using the model,

3.

(a) show that $\mu \ge \frac{1}{2} \cot \theta$

(5)

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A horizontal force of magnitude kmg, where k is a constant, is now applied to the beam at A.

This force acts in a direction that is perpendicular to the wall and towards the wall.

Given that $\tan \theta = \frac{5}{4}$, $\mu = \frac{1}{2}$ and the beam is now in limiting equilibrium,

(b) use the model to find the value of k.

(5)



Question 3 continued a) Looking at the moments equation around A: SSIND M(A)=mgacosO M(A) = 2aSsinO. As the bean is in equilibrium: mgacoso = 2 Sasino. M(B)= La Rcoso M(B) = mgacosO+2FasinO 2a Rcoso = mgacoso + 2 Fasino As R=ng and F=S (as in equilibrium) Then Racoso = 2 Fasino => F= RacosO = - RcotO. Asinequilibrium FSMR = R coto = MR Turn over

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Question 3 continued DO NOT WRITE IN THIS AREA => M7 = cot 0 1] b) 0= tan" (5/4), p=1/2 NSIDO Kmg Ing DO NOT WRITE IN THIS AREA M(A) = mga cosO M(A) = 2 Nasin O mgacoso = 2 Nasind N=Kmg-F (asinequilibrium) F= µmg (as in Limiting equilibrium) =>mgacosO=2a(kng-ping)sinO =) mga coso = 2 mga(k-p) sin O cos0=2(k-p) sin0 => 1=2(K-M) Sin0 (000 => $1 = \frac{5}{2}k - \frac{5}{2}\frac{1}{2}$ => k=0.9 10

Question 3 con	tinued
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A small stone is projected with speed 65 m s^{-1} from a point O at the top of a vertical cliff. Point O is 70 m vertically above the point N.

Point N is on horizontal ground.

The stone is projected at an angle α above the horizontal, where $\tan \alpha = \frac{5}{12}$

The stone hits the ground at the point A, as shown in Figure 3.

The stone is modelled as a particle moving freely under gravity.

The acceleration due to gravity is modelled as having magnitude 10 m s⁻²

Using the model,

4.

(a) find the time taken for the stone to travel from O to A, (4)

(b) find the speed of the stone at the instant just before it hits the ground at A.

One limitation of the model is that it ignores air resistance.

(c) State one other limitation of the model that could affect the reliability of your answers.

a) S=ut + 1/2 at (Resolving vertically) -70=65sina t - 1/xlox t2 (acceleration = -10ms SAN= 5/13. $70 = 75t - 5t^2 = 7t^2 - 5t - 14 = 0$ => (t - 7)(t + 2) = 0

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Question 4 continued

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As tf-2 then t=7 seconds. b) The horizontal component of velocity is modelled as constant. Vn=65cos x = 65 - 1/13 = 60 m/s The vertical component of velocit: Vu=-1(-655inx)2+2×10×70 Vv= 1252 + 1400 = 45 m/s. The "speed" will then be the magnitude of these velocities. Speed=1602+452 = 75m/s c) The store is modelled as a partical, but the dimensions of the stone could affect its motion



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F) Pis travelling in direction i-j when	
-	$3t^{\prime 2}i - 2t_{j} = k(i - j) = k_{j} - k_{j}$	
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Question 5 continued uhen t= 1, (=-) $\underline{\Gamma} = 2\underline{i} - \underline{j} + \underline{C} = -\underline{j} \quad (\text{when } t = 1)$ => C = -21 $f = (2t^{3/2} - 2)i - t^{2}j$ or = 2t 2i - tJ - 2i d) Speed = 7 (3t^{1/2})² + (2t)² When speed = lons - (3t^{v2})2 - (2t)2 = 10 => 9E+4E=100 =>4E2+9E-100=0. =>(t-4)(4t+25)=0 =>t=4 (as t>0). $r = (2 \times 4^{\frac{n}{2}} - 2)i - 4^{\frac{n}{2}} = 14i - 16i$ distance from 0: 7142+(-16)2 m = 2113m

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