wjec cbac

GCSE MARKING SCHEME

AUTUMN 2019

GCSE MATHEMATICS – NUMERACY UNIT 2 - INTERMEDIATE TIER 3310U40-1

INTRODUCTION

This marking scheme was used by WJEC for the 2019 examination. It was finalised after detailed discussion at examiners' conferences by all the examiners involved in the assessment. The conference was held shortly after the paper was taken so that reference could be made to the full range of candidates' responses, with photocopied scripts forming the basis of discussion. The aim of the conference was to ensure that the marking scheme was interpreted and applied in the same way by all examiners.

It is hoped that this information will be of assistance to centres but it is recognised at the same time that, without the benefit of participation in the examiners' conference, teachers may have different views on certain matters of detail or interpretation.

WJEC regrets that it cannot enter into any discussion or correspondence about this marking scheme.

GCSE Mathematics – Numeracy Unit 2: Intermediate Tier	Mark	Comments
1. 0.64 × 125 or (100 ×) 78/125	M1	Accept equivalent complete non calculator methods Allow 64% × 125 but do not accept 64% of 125 for M1 (unless 80 marks seen, in which case M1 A1)
80 (marks) or 62(.4%)	A1	Accept sight of 0.62(4) Accept sight of 80/125 for M1, A1
Conclusion e.g. $(25.64\%)^{2}$	A1	FT depends on M1 previously awarded
'Paulo (as 64% > 62.4%)', 'Paulo (as 80 > 78), 'Paulo (sight of <u>78</u> and <u>80</u>) 125 125		If working with both Ceri and Paulo, with one correct and one incorrect, mark the correct method, i.e. possible M1, A1, but must be final A0 whatever conclusion is given
2(a) 4, 6 and 16 in this order	B2	Answers in the table take precedence B1 for any 2 correct entries
2(b) 38 bottles	B1	
2(c) 30 × 2 ÷ 12 or 30 × 1.5 ÷ 9 or 30 ÷ 6 or equivalent	M1	
5	A1	Accept an embedded 5 for M1 A1, provided it is not contradicted by their choice of final answer, in which case award M1 A0, e.g. $12 \times 5 = 60$ salmanazars M1 A0 $9 \times 5 = 45$, 9 salmanazars, M1 A0 $9 \times 5 = 45$, M1 A1 $12 \times 5 = 60$, M1 A1
3, ,, 17, 18, 18 as the three eldest 10, 12,,, as the two youngest	B1 B1	Must be eldest but not necessarily in order Must be youngest but not necessarily in order FT 'their 18 (eldest)' – 8 and their 18 (eldest)' – 6 respectively If B0, B0 award SC1 here for sight of 18, 18 provided not other repeat ages
(Mean) (10+12+17+18+18)÷5 or 75÷5 (-2)	M1	FT 'their 10 + 12 + 17 + 18 + 18' ÷ 5, provided it is a sum of 5 values divided by 5
(Coleen is) 13 (years old)	A1	FT 'their 75 \div 5' – 2 correctly evaluated, accepting rounded or truncated age

4(a)(i) 33 × 6/11 or 6 × 33 ÷ 11 18 (friends)	M1 A1	ISW Allow: • 18 friends 12 dogs for M1 A1 • sight of 18/33 for M1 A0 • 18 12 for SC1
$4(a)(ii)$ $\frac{2}{3} \times \frac{6}{11}$ or $\frac{2}{3} \times \frac{18}{(33)}$	M1	FT 'their 18' 2/3 × 18 leading to an answer of 12 or a final answer of 12 implies M1
<u>36</u> or <u>12</u> or <u>4</u> 99 33 11	A1	ISW If no marks, award SC1 for sight of 12/18
4(b) 21 : 13 : 6	B1	Mark final answer Allow 21 dogs : 13 cats : 6 fish Do not accept 21 dogs 13 cats 6 fish
5(a) 1 : 1 000 000	B1	
5(b) (Average speed in km/h =) <u>22</u> or <u>22</u> × 60 25/60 <u>25</u> or <u>22</u> 25 ÷ 60 52.7 (km/h) to 53 (km/h)	M2 A1	Allow M2 for sight of correct method, including premature approximation (e.g. using 25/60 = 0.4(166) M1 for any one of: • sight of 22 /(0.)25 • sight of 22 ÷ (0.)25 • for answer of 0.88 (km/min) • for answer of 88 Treat use of 2.2 instead of 22 as MR-1 on accuracy mark only

		o correlation,	e.g.		B1	Allow, e.g. 'no' Do not accept, e.g. '(all) scattered (about)' 'random', 'neutral', 'no pattern', 'varied correlation', 'mixed correlation' Allow if a correct response is given with one of the phrases listed above. Do not allow a correct response with an incorrect response, e.g. 'none but slightly positive'
6(b)	Nomo	Hoight	Number	1	B4	All entries correct
	Name	Height (cm)	Number		D4	All entries correct
	Gwenda	145	88			B3 for any 8 or 9 entries correct
	Daniel	166	88			R2 for any 5, 6 or 7 ontring correct
	Lotte	130	90			B2 for any 5, 6 or 7 entries correct
	lona	171	66			B1 for any 3 or 4 entries correct
	Steffan	171	24			
	. <u> </u>			-		Penalise -1 only if entries are consistently reversed in the table

 M2 for sight of 0.35 × 3 × 8.8(0) (= £9.24) or equivalent 0.65 × 8.8(0) (= £5.72) or equivalent M1 for any of 3 × 8.8(0) (= £26.40) 0.35 × 8.8(0) (= £3.08) or equivalent FT for 3 × 'cost their reduced priced pizza' correctly evaluated provided 'cost their reduced priced pizza' < £8.80 CAO for (£)17.16 with a conclusion, but FT conclusion from 'their £17.60' with (£)17.16 comparison
 FT for 3 × 'cost their reduced priced pizza' correctly evaluated provided 'cost their reduced priced pizza' < £8.80 CAO for (£)17.16 with a conclusion, but FT conclusion from 'their £17.60' with (£)17.16
conclusion from 'their £17.60' with (£)17.16
 For OC1, candidates will be expected to: present their response in a structured way explain to the reader what they are doing at each step of their response lay out their explanations and working in a way that is clear and logical write a conclusion that draws together their results and explains what their answer means
 For W1, candidates will be expected to: show all their working make few, if any, errors in spelling, punctuation and grammar use correct mathematical form in their working use appropriate terminology, units, etc.
Accept explanation based on a different even number pizzas, including buying 20 getting 10 free Allow, e.g. 'he would (only) pay for 5 pizzas (not 10)', 'half of the pizzas are free'

P(a)(i)(f)(f) = 0 and $(f) = 1.90$	D0	Ignore units stated in function error
8(a)(i) (\$)1.80 and (\$) 1.80	B2	Ignore units stated in £, p in error Accept giving the names of the stamps
		B1 for stamps from those available with sum \$3.60,
		but using 3 stamps, i.e.
		• (\$)1.60, (\$)1.60 and 40(c)
		• (\$)2.80, 40(c) and 40(c)
		Do not accept with 4 stamps or more
8(a)(ii) (\$)2.80, (\$)2.80 and (\$)1.80	B2	Ignore units stated in £, p in error
or (\$)2.30, (\$)2.30 and (\$)2.80 in any order		Accept giving the names of the stamps, e.g. 2 Church of Good Shepherd and 1 Mount Taranaki
		B1 for stamps from those available with sum \$7.40,
		but using (4 or) 5 stamps, i.e.
		 (\$)2.80, (\$)2.30, (\$)1.80, 40(c), 10(c) (\$)2.80, (\$)2.30, (\$)1.60, 40(c), 30(c)
		 2 × (\$)2.80, (\$)1.60, 2 × 10(c)
		• $3 \times (\$)2.30, 40(c), 10(c)$
		• 3 × (\$)1.80, (\$)1.60, 40(c)
		• (\$)2.30, 3 × (\$)1.60, 30(c)
		• (\$)2.30, (\$)1.80, 2 × (\$)1.60, 10(c)
		Do not accept with 6 stamps or more, e.g.
		4 × (\$)1.80 and 2 × 10(c)
8(b) (Change to £) 550 × 0.53	M1	
(£)291.5(0) (Only £10 and £20 notes available so he can buy)	A1 A1	FT 'their (£)291.5(0)' (provided not a multiple of 10)
(£)290		rounded down to nearest multiple of 10
(2)_00		Accept stated or implied as $(£)1.50$ can't be
		converted
		Sight of (£)290 with no incorrect working implies previous A1
(Fewest number of notes making up £290,)	A1	FT 'their £290' provided it is a multiple of 10
14 £20 (notes) and 1 £10 (notes)		Must be fewest number of notes
		Sight of correct notes with no incorrect working implies previous A1
(Cost in \$ to buy £290 is)	M1	FT 'their whole number multiple of £10' ÷ 0.53
290 ÷ 0.53 or 550 – 1.5(0) ÷ 0.53 (= 550 – 2.83)		Ignore attempt at any further calculation if 290 ÷ 0.53 seen
(\$)547.17	A1	Must be <(\$)550 and depends on M1 M1 previously
		awarded
		Must be to the nearest cent Mark final answer
		If final M0 A0, then award SC1 for (\$)2.83 (left) or
		similar FT

9(a) in any orientation 9(b)(i) (Concrete costs) 66 × 39(p) or equivalent	B1 M1	 Allow: intention of straight lines and right angles two equal rectangles joined Do not accept if end elevation also drawn, unless plan view is labelled (=£25.74) Allow M1 for sight of a multiplication involving the digits 66 with 39(p) or equivalent
(Builder charges) 27 + ¼ × 27 or equivalent	M1	(= £36) Allow methods breaking down the hour to find the cost for 20 minutes provided sufficient evidence seen Do not allow: • $27 + 0.3 \times 27 = 27 + 8.10 = £35.10$ • $27 + \frac{1}{3} \times 27 = 27 + 8.10 = £35.10$ Allow $27 + 0.33 \times 27 = £35.91$ or better
(Total cost of making the step) (£) 61.74	A1	CAO
9(b)(ii) (Area cross-section) as sum of two products: $50 \times (20+25) - 24 \times 25$ (= 2250 - 600) or (20+25) × (50-24) + 20 × 24 (= 1170 + 480) or $50 \times 20 + 25 \times (50-24)$ (= 1000 + 650) OR (Area cross-section) as sum of three products: $24 \times 20 + 26 \times 20 + 26 \times 25$ (= 480 + 520 + 650)	M2	 Check diagram for working Accept a similar method given by an equation or expressions M1 for sight of either: difference or sum of 2 products, with 1 correct sum of 3 products with 2 correct all products correct but no attempt to sum
(Area cross-section) 1650 (cm ²)	A1	CAO
(Length = Volume ÷ area cross-section) 66 000 ÷ 1650	M1	FT 66000 ÷ 'their 1650' provided 'their 1650' is dimensionally correct
40 (cm)	A1	ISW FT 66000 ÷ 'their 1650' only allowing rounding or truncation of decimals

10(a)(i) 11 to 15	B1	
10(a)(ii) Midpoints 3, 8, 13, 18	B1	
3×3 + 8×7 + 13×12 + 18×18 (9 + 56 + 156 + 324 = 545)	M1	FT 'their midpoints' provided at least 3 of 'their 4 midpoints' lie within the appropriate group, including lower and upper bounds Use of lower bound gives 465 Use of upper bounds gives 625
÷ 40	m1	
13.6(25 mugs)	A1	Allow 13 or 14 (mugs) from correct working Use of lower bounds gives 11.625 (allow 11 or 12) use of upper bounds gives 15.625 (allow 15 or 16)
10(b) (Volume) $\pi \times 4.3^2 \times (11.8 - 2)$ or equivalent	M2	Accept methods shown in stages Allow M1 for sight of $\pi \times 4.3^2 \times 11.8$ or $\pi \times 4.3^2 \times 2$, including if embedded or included with incorrect working.
Answer in the range 568 (cm ³) to 569.4 (cm ³)	A1	CAO. Accept <u>90601π</u> or 181.2(02)π 500
		Provided M1 previously awarded then also award SC1 for an answer in the range
		 684.8 to 686 (cm³) (for the volume of the mug ignoring the 2 cm) or
		 682.8 to 684 (cm³) (for the volume of the mug subtract 2 cm)
		but do not ignore further working in either case

		$[1 + 1 + 1 + 1] = \{1, \dots, n\} \{1 + 1\} \{1 + 1 + 1 + 1 + 1\} \{1 + 1 + 1 + 1\} \{1 + 1 + 1 + 1 + 1\} \{1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 $
11(a)(i) (Circumference of a wheel) $\pi \times 6.4$ or $\pi \times 0.064$	M1	Ignore inclusion of '×4' (for 4 wheels) for M1 M2 (A0)
(Number of revolutions is) 2340 × 100 ÷ (π × 6.4) or 2340 ÷ (π × 0.064) or equivalent	M2	FT 'their circumference' provided 'their calculation of circumference' includes π in the calculation (with consistent place value for M2, with inconsistent place value for M1) M1 for appropriate calculation but containing a place value error, e.g. 2340 ÷ ($\pi \times 6.4$) or 234000 ÷ ($\pi \times 0.064$) or 23400 ÷ ($\pi \times 0.64$)
(Number of revolutions is) Answer in the range 11636(.69) to 11644(.1083)	A1	CAO, except allow an answer of 11700 (from premature approximation of circumference to 20cm) Mark final answer (Do not ignore further work such as ÷ 4)
 11(a)(ii) Assumption, e.g. 'rode all the way', 'didn't carry the skateboard', 'was able to use his skateboard' 'skated in a straight line', 'each wheel rotates the same number of times' 'wheels perfectly circular', 'no wear on the wheels', 'the wheels are all on the ground throughout' 	E1	Allow, e.g 'went directly to Sab's house' Do not accept, e.g. '2340m is not exact', 'he doesn't stop on his journey', 'constant speed'
11(b) (Mass of Finbar's skateboard deck) 2.6 × 1800 × 1.2 AND (Mass of Sab's skateboard deck) 0.7 × 1600 × 1.4	M3	Accept shown in stages but not if embedded within incorrect working M2 for one of the following provided not embedded within incorrect working, may be shown in stages: (Mass of Finbar's skateboard deck) 2.6 × 1800 × 1.2 OR (Mass of Sab's skateboard deck) 0.7 × 1600 × 1.4 M1 for any one of the following, including embedded within incorrect working, may be shown in stages: • (Finbar's deck volume) 1800 × 1.2 (= 2160) • (Sab's deck volume) 1600 × 1.4 (= 2240) • (g per cm) 2.6 × 1800 (= 4680) • (g per cm) 0.7 × 1600 (= 1120)
(Mass of Finbar's skateboard deck) 5616 (g) AND (Mass of Sab's skateboard deck) 1568 (g)	A1	CAO
(Difference is) 4048 (g)	A1	Answer must be in grams FT 'their 5616' – 'their 1568' provided M2 previously awarded

12(a)(i) Height of the gate 110 (cm) or 1.1(0 m)	B1	Allow other estimates of height of the gate (100 cm to 110 cm inclusive) If units are given they must be correct If incorrect conversion of units seen later, B0 and FT for possible M1 A1 A1
(Diagonal ² =) $2^2 + 1.1^2$ or $200^2 + 110^2$	M1	FT 'their derived 110 or 1.1(0)' provided units are consistent in the application of Pythagoras' Theorem Allow use of 190 cm to 200 cm for the width of the gate in calculating the diagonal length
Diagonal ² = 5.21 or (Diagonal =) $\sqrt{5.21}$ or Diagonal ² = 52100 or (Diagonal =) $\sqrt{52100}$ or 228.(cm)	A1	
(Diagonal =) 2.28(m) or 2.3(m)	A1	Answer must be in metres Allow truncation to 2.2(m) Do not accept truncation to 2(m) FT from M1 for the correctly evaluated square root of 'their 5.21' provided 'their answer' > 2 (m) for possible A1
12(a)(ii) Assumption, e.g. 'diagonal plank went to each end', 'thought of the planks as lines', 'that it is a right angle (triangle)', 'it goes from corner to corner'	E1	Allow, e.g. 'no thickness' (allow as implying width) 'width (or length) of gate is not exact' (could mean diagonal plank not quite touching across full width of the gate) Do not accept, e.g.
		 'all planks have the same thickness' (as not an assumption whether meaning width or not), 'the gaps are not exact' (as question defines the gaps) 'lengths are not exact', 'that this diagonal plank is longer than the others', 'it's straight'
		Ignore additional spurious comments

12(b) (Cost of 1 horizontal plank is) (£) 3 × 8.55 ÷ 5 OR	M1	Accept for sight of (£)5.13
(Cost of 1 diagonal plank is) (£) 4 × 8.55 ÷ 5		Accept for sight of (£)6.84
(Total cost of gate is) $2 \times 8.55 + 5 \times 3 \times 8.55 \div 5 + 4 \times 8.55 \div 5$ or $2 \times 8.55 + 5 \times 5.13 + 6.84$ 17.10 + 25.65 + 6.84	m2	m1 for 2 out of the 3 terms correct
(=) (£) 49.59	A1	CAO
		If no marks, award SC1 for sight of (8.55 ÷ 5 = £)1.71 or ((3+4+5) × 8.55 ÷ 5 = £)20.52
Alternative method $(2 \times 5 + 5 \times 3 + 4)$	M1	
× 8.55	m1	m1 in either order
÷ 5 (£) 49.59	m1 A1	CAO

3310U40-1 WJEC GCSE Numeracy - Unit 2 IT MS A19/DM