wjec cbac

GCSE MARKING SCHEME

SUMMER 2017

GCSE (NEW) MATHEMATICS NUMERACY - UNIT 1 (INTERMEDIATE) 3310U30-1

INTRODUCTION

This marking scheme was used by WJEC for the 2017 examination. It was finalised after detailed discussion at examiners' conferences by all the examiners involved in the assessment. The conference was held shortly after the paper was taken so that reference could be made to the full range of candidates' responses, with photocopied scripts forming the basis of discussion. The aim of the conference was to ensure that the marking scheme was interpreted and applied in the same way by all examiners.

It is hoped that this information will be of assistance to centres but it is recognised at the same time that, without the benefit of participation in the examiners' conference, teachers may have different views on certain matters of detail or interpretation.

WJEC regrets that it cannot enter into any discussion or correspondence about this marking scheme.

GCSE Mathematics – Numeracy Unit 1: Intermediate Tier	Mark	Comment
Summer 2017		
1. 3 6 7 9 10 10 11(cars)	B2	Need not be in this order B1 for sight of (11 -8 =) 3 (cars) and at least two 10s
3+6+7+9+10+10+11 and ÷7	M1	FT intention to sum 'their 7 numbers' and divide by 7, must be 7 numbers
8 (cars)	A1	CAO, i.e. FT is only for the method mark
		If no marks, award SC1 for an unsupported answer of '8'
2(a) 15:30	B1	
2(b) 16 km	B1	
2(c) Indicates or implies 'can't tell', with a reason suggesting, e.g. 'don't know in which direction they travel', 'could be (up to) 14 km apart', 'the graph only says distance from home'	E1	Ignore spurious additional information. Allow 'can't tell' with e.g. 'one sister takes a different route', 'different roads taken', 'one sister changed direction', 'could be 9km apart', 'Eleri may have taken a longer route' Do not accept 'can't tell' with e.g. 'they don't leave from the same place', 'Yvon travels slower than Eleri', 'schools finish at different times', 'the graph shows distance from home not distance from school', 'not known if Yvon travels in a straight line'

3. (Tent ground area) 2.5 × 4.4	M1	Allow for sight of $2(.)5(0) \times 4(.)4(0)$ Working of the ground area must be seen,
= 11 (m ²)	A1	i.e. sight of 2.5 \times 4.4 not 2 \times 4 or 3 \times 4 CAO, not FT
		If no area calculation seen award M0, A0 then FT for M and A marks, final mark E0
(Total cost for 12 nights, pay for 10 nights =) 10×14 + 2×10×4	M2	FT 'their ground area >12m ² to calculation 10x16 + 2x10x4 (= \pounds 240) for M2 or equivalent M1 (see formula below)
		If incorrect interpretation of 'their ground area', award M1 only for either area $\leq 12m^2$ with $10\times16 + 2\times10\times4$ (=£240), or area>12m ² with $10\times14 + 2\times10\times4$ (=£220),
		M1 for a sum of two products: (2 x) a x b + (2 x) 4 x c where a = 10, 11 or 12 b = 14 or 16 c = 10, 11 or 12 The initial (2 x) is if the error is 2 tents! For example: • $12x14 + 2x10x4 (= \pounds 248)$ • $10x14 + 10x4 (= \pounds 180)$ • $12x16 + 2x12x4 (= \pounds 288)$ Ignore further working attempting to subtract discounts Working with the cost of 1 night, e.g. $14 + 2 \times 4$ or $16 + 2 \times 4$, ignore errors in calculation and award M2 or M1 as appropriate when attempt to multiply by 10, 11 or 12 is seen, i.e work may be seen in stages
(140 + 80 = £) 220	A1	CAO If previous M0, A0 for costs, award SC1 for sight of 1 night cost (£)22 or for sight of 10×14 and 2×10×4 without indication of addition
(Saving = 2x) 8 x 15 (£) 240	M1 A1	Allow M1 only 1 person saving CAO, not FT <u>Alternative</u> (How many weeks of saving) $220 \div (2 \times 15)$ M1 (FT 'their 220' for M1 only) $7\frac{1}{3}$ or 7.3()(weeks) A1 CAO If no marks, allow SC1 for 14.6(6 weeks) or 14.7 from 220 ÷ 15 Or equivalent for working with cost per person, i.e. $\frac{1}{2} \times 10 \times 14 + 10 \times 4 = \pm 110$ and saving 8 × 15 = £120, all previous marks are available

Conclusion, e.g. 'planned saving is enough to pay for the holiday'	E1	FT comparison for 'their £240 saved' with 'their total cost', provided at least 2 M marks previously awarded one of which must be for area calculation Allow the conclusion 'yes'
Organisation and communication	OC1	For OC1, candidates will be expected to: • present their response in a structured way • explain to the reader what they are doing at each step of their response • lay out their explanations and working in a way that is clear and logical • write a conclusion that draws together their results and explains what their answer means
Writing	W1	 For W1, candidates will be expected to: show all their working make few, if any, errors in spelling, punctuation and grammar use correct mathematical form in their working use appropriate terminology, units, etc.

		Alle lates (lates floor) at a late
$4(a)(1)(10 + 20 + 30) \times 0.6 \text{ or } 60 \times 0.6$	IVET	Allow Intention of brackets I.e.
or (10 + 20 + 30) × 60 ÷ 100		10 + 20 + 30 × 0.6
(f)36	Δ1	CAO and must be from correct working
(2)50		If no marke, oward SC1 for an answer of
		If no marks, award SCT for an answer of
		3600(p), not for £3600
$4(a)(ii) 10 \times 20 \times 30 (= 6000)$	M1	An answer of £6000 implies M1 only
$\times 0.01$ or $(\times 1) \div 100$	m1	Depends on previous M1
		Award of m1 implies previous M1
		Award of first implies previous with
(0) 00		
(£)60	A1	CAO
		If M1 m0 A0 also award SC1 for an
		answer of 6000p
		1
4(2)(iii) 2x ((10x20) + (20x20) + (10x20)	MO	M1 for sight of cum of at least 2 of the 6
$4(a)(11) \ge x \{(10x20) + (20x30) + (10x30) \}$	IVIZ	
(= 2200)		possible products: 10×20 , 20×30 , 10×30
× 0.02 or × 2 ÷ 100	m1	Depends on M2 or M1 previously awarded
(£)44	A1	CAO
		If M2 m0 A0, also award SC1 for an
		answer of $4400(p)$ not for $f4400$
4(b) <u>60 – 36</u> (×100)	M1	Strict FI 'their most expensive' and 'their
60		cheapest'
		If FT is not a whole number, then accept
40 (%)	Δ1	rounded or truncated to a whole number
40 (78)		
		If no marks, award SC1 for an answer of
		60(%) from 36/60 or <u>'their cheapest'</u>
		'their most expensive'
		expressed correctly as a percentage
	1	1

$5(a)(i)$ (£) $560 \div 7$ (= £ 80)	B1	
2 × 560 ÷ 7 OR 6 × 560 ÷ 7 OR ¹ / ₃ × (560 – 560 ÷ 7) OR 560 – 560 ÷ 7	M1	
(Bryn) (£) 160 (Sophie) (£) 480	A1 A1	CAO CAO Alternative:(Total prize money) $560 \times 15 \div 7$ (=£1200) B1 $2 \times 1200 \div 15$ OR $6 \times 1200 \div 15$ M1 FT 'their $560 \times 15 \div 7'$ (= 1200) (Bryn) (£) 160 A1 CAO (Sophie) (£) 480 A1 CAO
		If no marks, award SC1 only for either of the following answers (from initially 560÷15) • (Bryn) (£)74(.66) or (£)75 • (Sophie) (£)222 or (£)223(.98) or (£) 224
5(a)(ii) 560 - 0.15 × 560 or 0.85 × 560 (=560 - 84)	M1	Or equivalent full method
(£)476	A1	
5(b) (2015 cost of hosting:) 6600 + 0.1 × 6600 (£7260)	B1	
(2016 cost of hosting:) 7260 + 0.1 × 7260 (£7986) AND (2017 cost of hosting:) 7986 + 0.1 × 7986 (£8784.60)	M1	For the appropriate method of repeatedly increasing by 10% from 2015 to 2017 FT 'their 6600 + 10%' calculation with 'their 7260' + 10% calculation with their 7986' + 10% calculation Allow intention with sight of rounding or truncation within working, e.g. (£)799 as 10% of (£)7986
(2017 cost of hosting is) (£) 8784.6(0)	A1	CAO Ignore any further working
		AlternativeM1Sight of 6600×1.1^3 M1Full method to calculate 1.1^3 and multiplyby 6600 m1(For method not accuracy, allow arithmeticerrors if intention clear.)(£) $8784.6(0)$ CAOA1
		If no marks, award SC1 for an answer of (£)8580 (from simple interest, as first B mark is embedded)

6(a) 230	B1	
6(b) 40	B1	
6(c) Reason, e.g. 'graph for 18-year olds leans towards the greater times', 'the frequency polygon for times from (the plot at) 30 minutes are greater for the 18-year olds', ' more 18-year olds spend longer times than 16 year olds, 'more 18-year olds for 30 minutes, same at 40 minutes and more at 50 minutes', 'more 18-year olds at 50 minutes', 'more 18-year olds from 25 minutes onwards', 'many more 16-year olds than 18-year olds spend 20 (or 25) minutes or less', 'median is higher for the 18-year olds', 'more 16-year olds use less time on social media than 18-year olds'	E1	If readings are used they must be correct, e.g. at 50 minutes there are 20 16-year olds and 60 18-year olds, or 40 more 18-year olds than 16- year olds 3 times as many 18-year olds spend 50 minutes as 16-year olds Allow e.g. 'half way through the 18-year olds frequency rises higher than for 16-year olds' Do not accept irrelevant, incorrect or incomplete statements e.g. 'more 18-year olds spend 30 minutes', 'more 16-year olds spend 20 minutes', 'because more than 60 18-year olds spend 30 to 50 minutes', 'The mode for 16-year olds using social media is the same as for 18-year olds', '16-year olds frequency is higher to start', 'not true because the frequency polygons would look roughly the same', 'not true because the shapes of the frequency polygons are very different', 'there is only one point where 16 and 18- year olds spend the same amount of time', 'because the polygons are not the same', 'the 2 polygons have different trends', 'the average time is greater for 18-year olds'

7. $a = 72^{\circ}$ and $c = 94^{\circ}$ $b = 108^{\circ}$ $d = 86^{\circ}$	B1 B1 B1	If contradiction between diagram and answer space, mark the answer space, except if a transition slip FT 180 – 'their a' FT 180 – 'their c'
Correct diagram within ±2mm and ±2° tolerances	Β3	Ignore extensions of lines in construction, mark the quadrilateral Attempt (FT) using template irrespective of angles stated B2 for diagram with either of : • 6cm ±2mm and a = 72°± 2°and either b = 108° ± 2° or d = 86°± 2° • all correct angles ±2° with 6cm incorrect B1 for 6cm ±2mm and a = 72°± 2°or d = 86°± 2°

$8(a)(i) 2 \times 18 \times 1.1(0) \text{ or } 1.1 \times 18 \div 0.5$	M1	
(=£) 39.6(0)	A1	Award M1 A1 for a correct response from an error in notation such as $18 \times 0.5 = 36$ with $36 \times 1.1 = (\pounds)39.6(0)$
		Note: $18 \div 0.5 = 9$, $9 \times 1.1 = (\pounds)9.9(0)$ is M1 A0 as full method shown in stages, but only if the full method is seen, not for an answer of $(\pounds)9.9(0)$
8(a)(ii) (Length) 6 (m) AND (width) 3 (m)	B2	 Accept in either order in the answer space B1 for any 1 of the following: sight of 18 ÷ 3 sight of 18 ÷ 6 either length or width correct (any order) answers 12 (m) and 6 (m) (any order) 1x + 2x + 1x + 2x = 18 or similar
8(b) $x + 3 + x + 3 + x + x = 16$ or x + 3 + x = 8 or equivalent	M1	Accept any variable for 'x'
4x + 6 = 16 or 4x = 16 - 6 or 4x = 10 or 2x + 3 = 8 or equivalent	m1	Depends on the previous M1 This m1 implies the previous M1
(Length) 5.5 (m) and (width, x) 2.5 (m)	A1	CAO Needs to be in the correct order in the answer space, or clearly labelled Alternative method to work with $y - 3$ and y leading to $y = 5.5$
		If no marks, allow SC1 for answers of $5.5(m)$ and $2.5(m)$ if no equation given or if 'their equation' not used to elicit these answers, OR SC1 for answers of $9.5(m)$ and $6.5(m)$ from sight of $x + x + 3 = 16$

9(a)(i) (Needs a further) 11 (squares)	B2	B1 for sight of 6+5+4+3+2+1 or 21squares
9(a)(ii) States or implies 'correct' with sight of, e.g. • 10+9+8+7+6+5+4+3+2+1, or • 21, 28, 36, 45, 55, or • +7, +8, +9, +10 • 5 × (10 + 1)	B1	CAO Do not accept any contradictions, e.g. an incorrect answer for the correct sum, i.e. 10+9+8+7+6+5+4+3+2+1 with an answer other than 55 Allow 'correct' with D10 diagram drawn in the answer space
9(b)(i) 8	B1	
9(b)(ii) States or implies 'No' with a reason, e.g. 'all Josef's patterns have an odd number of squares', 'same number on each branch from the one top square makes it an odd number', 'one square left over', 'one square left over', 'one square short', 'one more needed', 'the arms would be unequal (in length)', '22 is even', 'P10 is (made using) 21 (squares), P11 is (made using) 23 (squares)', 'he would only be able to make a pattern with 21 squares'	E1	Do not accept 'No' with, e.g. 'too many squares', '22 is not part of the pattern', 'it is unequal'
9(b)(iii) P4	B2	Allow P = 4 B1 for sight of 10 \div 0.5 or 20 (small square edges) or shows 5 squares on each side (stated or diagram in the answer space for (b)(iii)) B0 for P20 unless sight of 10 \div 0.5 (which is awarded B1)

10(a) 45 (seconds)	B1	
10(b) 30	B1	
10(c) 0.9(0) × 70 = 63 (passengers) (In 60 seconds) 65 (passengers left) OR 63 passengers within (58 or) 59 seconds	M1 A1 B1	Ignore incorrect units Check the diagram for indication, provided values are written
OR 63 (passengers) in less than 60 seconds		FT 'their 63' provided M1 previously awarded
Conclusion that the target was met	E1	Depends on M1, B1 previously awarded
		Alternative: By 1 minute, 65 passengers left B1 (100 ×) 65/70 M1 0.92(8) or 0.93 or 92(.8%) or 93(%) A1 Conclusion that target met E1 (Depends on M1, B1) Alternative: For candidates clearly considering the number of passengers left on the plane, must be evidence of this before awarding marks
		(0.1×70=) 7 (passengers left on the plane) B1 (After 1 minute) 70 – 65 M1 5 (passengers) A1 Conclusion that target met E1 (Depends on M1, B1)
11(a) April	B1	
11(b) January	B1	
11(c)(i) January and February	B1	In either order
11(c)(ii) 43	B1	
11(d) FALSE TRUE FALSE FALSE	B2	B1 for any 3 correct responses

12(a) 8 × 10 ⁻⁵	B1	
12(b)(i) 30 (pieces of card)	B2	If working is shown, it needs to be correct for the award of B2 Do not accept final answer of 30mm for B2 B1 for: 3×10^{-2} written as 0.03 (metres) or 3 cm or (0.03m =) 30mm OR for a calculation that could lead to a correct response, e.g. $3 \times 10^{-2} \div 0.001$ or $(3 \times 10^{-2}) \div (1 \times 10^{-3})$ or $3 \times 10^{-2} \times 1000$ (Watch for compensating errors such as $3 \times 10^{-2} = 0.003, 0.003 \times 1000 = 30$, this is awarded B1 for intention of $3 \times 10^{-2} \times 1000$
12(b)(ii) Assumption, e.g. 'no gaps between pieces of card', 'all pieces of card completely touch', 'all pieces of card are (exactly) 1 mm thick'	E1	Allow e.g. 'the thickness of each piece of card is the same', 'none of them are folded'
12(c) Use of 1 tonne = 1000 kg 1000 × 2.88 × $10^7 \div (7.2 \times 10^9)$ or 1000 × 28 800 000 ÷ 7 200 000 000 or equivalent	B1 M2	For M2 any calculations used by the candidate (which may be seen in stages) need to be correct, unless replaced with a correct calculation, perhaps e.g. reverting back to correct standard form FT 'their 1000', provided a power of 10 and \neq 1 M1 for (2.88 × 10 ⁷ (tonnes)) ÷ (7.2 × 10 ⁹), or 28 800 000 ÷ 7 200 000 000, including no attempt to change tonnes to kg or possible place value errors in converting from standard form, this could be implied within working
4 (kg per person)	A1	CAO

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